

Protocol verification

Hard problem

Separable from software

I4: inductive invariant.

Reachable state.

Hard problem.

Async. network.

Delay

Drop

Dup

Corrupt.

Node failures.

Crash

Restart

Inconsistencies.

Open systems: membership.

Misbehave

"Byzantine".

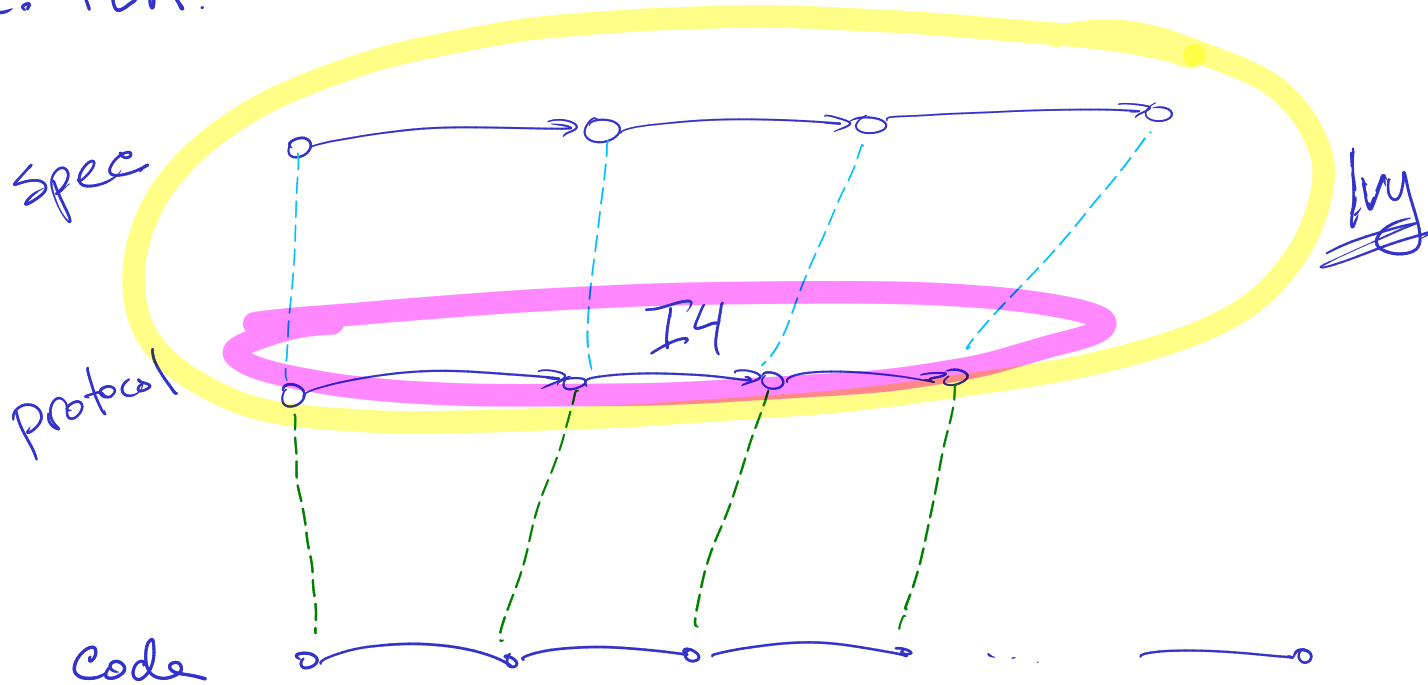
?

lyy: protocol verif. tool

Protocol reasoning.

Close analogue: TLA.

IronFleet:



by example

type client ←
type server ←

relation link(X:client, Y:server)
relation semaphore(X:server)

} State

after init {
semaphore(W) := true;
link(X,Y) := false;
}

} Init

action connect(x:client, y:server) = {
 require semaphore(y);
 link(x,y) := true;
 semaphore(y) := false;
}

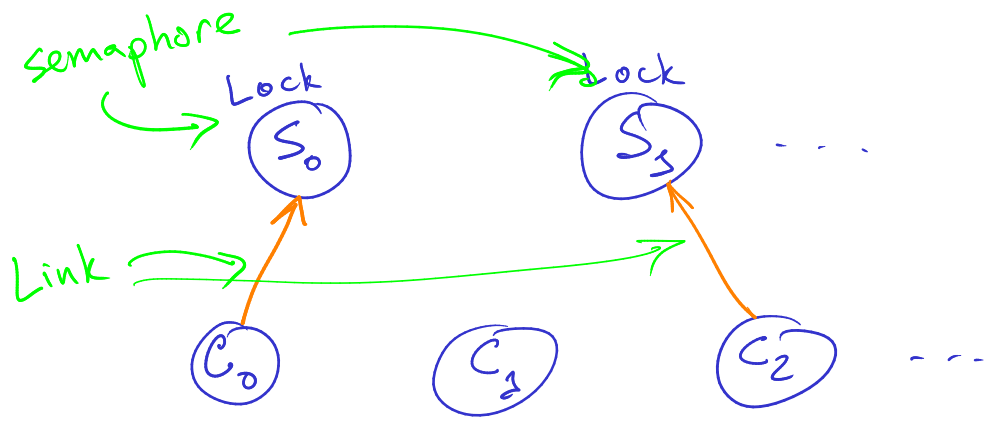
action disconnect(x:client, y:server) = {
 require link(x,y);
 link(x,y) := false;
 semaphore(y) := true;
}

Transitions
Actions

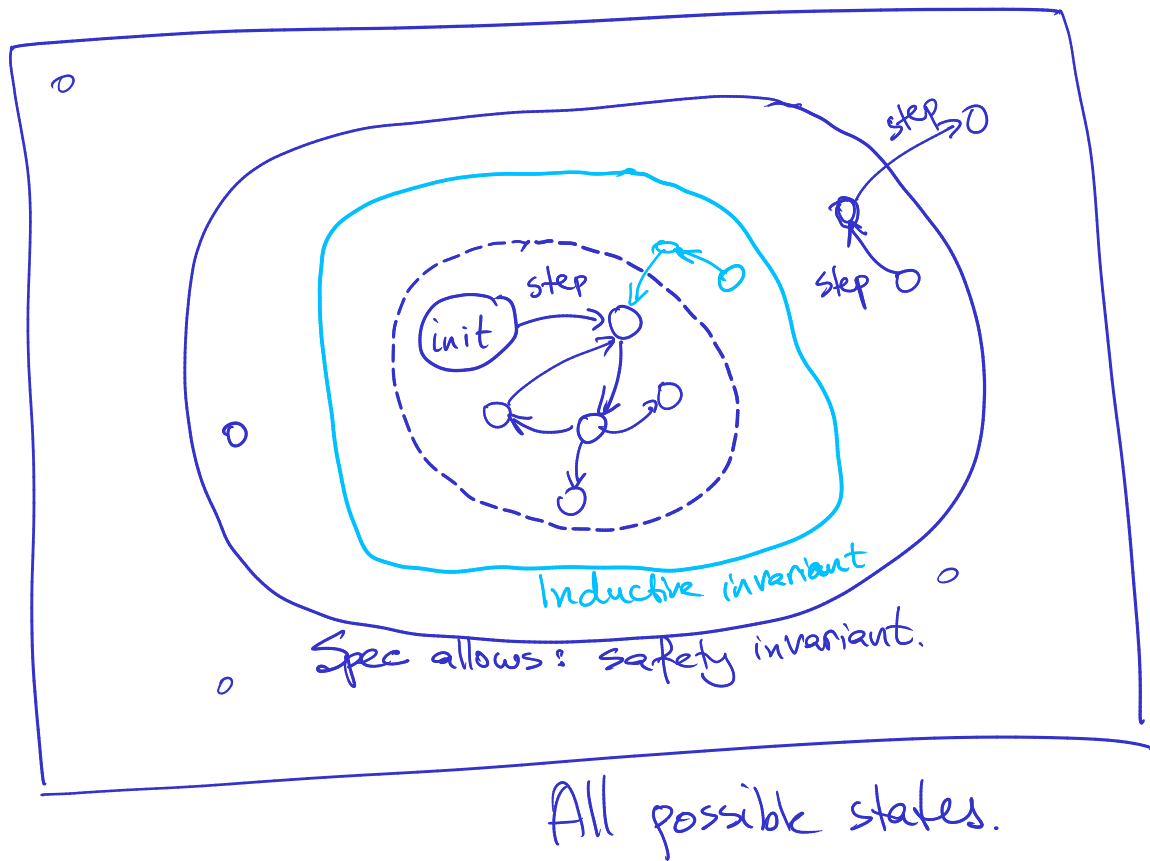
export connect
export disconnect

invariant [1] link(C1, S) & link(C2, S) -> C1 = C2

} Spec
safety predicate



Safety of reachable states



Hard?

- Reachable states defined transitively.
- Spec set: well defined but not inductive.
- Proof plan: inductive invariant

Ivy proof: safety of reach. states.

1.) $\forall \underline{s} \in \text{init}, \text{Inv}(s)$.

2.) $\forall \underline{s, s'}, \text{Inv}(s) \wedge \text{step}(s, s') \rightarrow \text{Inv}(s')$

$\text{Inv} = \text{over-approx of reachable states.}$ 

Why automation?

Ivy code \rightarrow Z3 constraints.

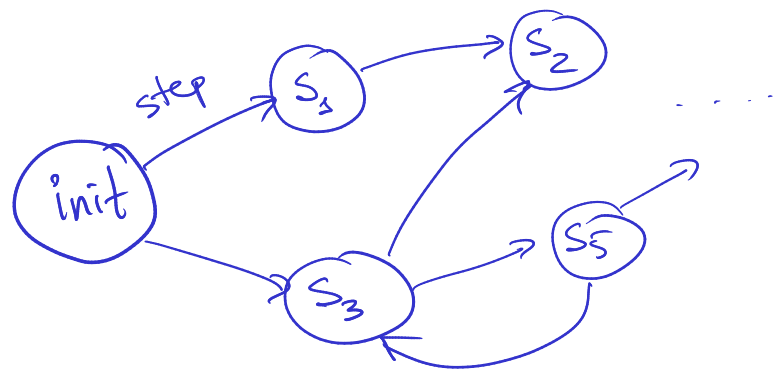
Restricted logic

Limited \exists , predicates, ...

Z3 check ①, ②

Unbounded \forall proof
state

Model checking: safety of reach. states



Bounded state size

	S	C_0	C_1
	$\text{sem}(s)$	$\text{link}(C_0, s)$	$\text{link}(C_1, s)$
init:	T	F	F
	F	T	F
	F	F	T
		safety spec	

I4's trick:

AVR predicate \rightsquigarrow Inv invariant.

AVR: synthesize compact predicate for reachable states.

I4's workflow

